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**Research Article** 

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# The study of sports industry competitiveness of six provinces in Central China based on entropy weight and TOPSIS integration

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## ABSTRACT

Since the twenty-first Century, the sports industry is heavier in the national economy proportion and with the implementation of the rise of central China strategy. The strategic position of the central region has been raised to the highest level in history. Therefore, research on sports industry competitiveness of six provinces in central China, not only can know the development of sports industry in the future, but also can better understand the central six provinces` forward direction under the of strategy "revitalize the national sports economy". Based on the previous research, entropy weight and TOPSIS integration algorithm as data mining method, collect the middle six province sports industry data, then evaluate the competitiveness of sports industry in six provinces in central China.

Key words: Sports industry competitiveness, entropy, TOPSIS integrated, data mining

# INTRODUCTION

Since 2006, the State Council promulgated the "CPC Central Committee and the State Council several opinions on promoting the rise of central China". National Development and Reform Commission according to the views of the spirit compiled "planning" to promote the rise of central China in 2009 to June."Planning" emphasized, to cultivating new economic growth point. [1]

In recent years, the sports industry has become an important support for economic development in developed countries, Chinese sports industry has attracted more attention from the government and all walks of life, and "The sports industry revitalization planning" has aroused the enthusiasm for sports industry, the sports industry as a new growth point of national economy in low carbon era. Therefore, we can say that, to some extent, the development of the sports industry drives the central six provinces and the country's economic development.

On the other hand, the sports industry is a value creating industry by its own function and radiation function [2].

It includes two parts of sports goods and sports service, specifically including: the sporting goods industry, fitness and entertainment industry, sports industry, sports intermediary industry, sports lottery, sports tourism, sports media, sports insurance etc, is an important part of the national economy [3].

And because of its enormous role in the radiation, although the sports industry scale is limited, it cannot be ignored that the sports industry plays an important role in promoting national economic and national quality. Data shows, the annual output value of the sports industry in the world in 2000 is about \$400 billion, and an annual growth rate of 20%. In North America, Western Europe and Japan sports relatively developed countries and regions; the annual output value of the sports industry has entered the ten big industries [4].

USA is the most developed country in the world of sports industry, according to statistics, in 80's; American sports industry output value accounts for only about 1% of GDP, In each big industry output ranked 22, while the 1988 sports value has reached 63.1 billion U.S. dollars, more than oil industry, automobile industry, has accounted for 1.3% of GDP. But by the late 90's, the sports industry has accounted for GDP of 2%, ranking soared to eleventh. In developed countries, Australia, Canada, Japan, Britain, Germany, France, Italy, etc. sports industry output value generally accounted GDP between 1%-1. 5%. [5]

From the sports consumption situation, in 1995, American participating in the leisure sports and watching sports events such as the expenditure of \$44.173 billion, for the purchase of sports services and goods spending accounts for the largest proportion of sports consumption, America has 33% of the families have fitness equipment. In 1999, Japanese annual average family sports consumption wasmore than 80000 yen, in 1996, the average of Canadian family sports consumption is \$718 [6];

According to the General Administration of Customs in 2009 can belearned, in 2008 Chinese sport goods exports totaled \$7.88 billion, in 2009, has reached \$14.5 billion. [7]

In the world cup in South Africa, Chinese manufacturing "WuwuZula" is intuitively explained our country sports activities have played a certain role in the world.

However, as a sunrise industry, strong vitality and immature features are also present in the sports industry. Such as: industrial enterprises mainly are small or medium enterprises, positioning of sports enterprises are very fuzzy, and lack of its own product positioning. Chinese sports industry enterprises cannot form their own core competitiveness. Therefore, combing the sports industry competitiveness evaluation criterion has become the focus of academic research.

In 1966 Vernon presented the theory of the product life cycle, scholars research focus on the actual situation of how to deal with the diversification of market demand and product cycle [8].

Gort and Klepper divide the industrial development stage for the introduction, into large, stable, a lot of exit and the 5 stages of maturity, established the first industry life cycle model of industrial economics [9].

American scholar Michael Potter's "Diamond Model" is the most acknowledged by domestic and foreign scholars in the evaluation of industrial competitiveness [10]. Dependingon this theory, competitiveness of some industry mainly depends on six factors, production factors, demand conditions, related and supporting industries, firm strategy, structure and competition, opportunity and government. Among them, the first four are the key elements, after two are the auxiliary factors.

The British scholar Denning (Dunning) proposed "the Potter Denning model". According to this theory, Multi-National Corporation's business activities will be directly or indirectly affect the elements in the diamond model, so the Multi-National Corporation's business activities should be the thirdexogenous variables and added to the model of Potter. [11]

In 1994, scholar Zhao Dongcheng has expanded the "diamond model". [12]

But in our country, scholars argue that the use the theory of comparative advantage, help to explore the comparative advantage and the development of the sports industry, to provide new ideas for the development of national overall sports industry and regional sports industry development strategy. [13-16]

Xu Yanfang et al proposed two main identifying paths for comparative advantage: one way is to start from the factor endowment, two is the market competition determine what comparative advantage is. [17-19]

Xia Congde constructs the index system for evaluation and comprehensive evaluation system of sustainable development of competitive sports in China. [20, 21]

Zhao Hengmin, Zhang Tieling discusses the construction of sports social assessment system. [22, 32]

Read the above information may be found, although domestic and foreign scholars have conducted extensive researchon sports industry competitiveness, but few have done by a mathematical model, so its research results lack of rigor. Therefore, on the basis of previous studies, this paper selected six provinces of Central Sports industry to study, using entropy weight and TOPSIS integration algorithm methodto data mining, carries on the evaluating to

the middle six province sports industry, to promote the development of sports industry.

This paper is structured as follows:

The first section, the research in the sports industry and sports industry competitiveness is briefly introduced.

In section second, the entropy theory and application.

The third section, the relevant theory and application of TOPSIS.

The fourth section, use entropy and TOPSIS are integrated to evaluate sports industry competitiveness in six provinces in central China.

The research steps are showed in figure 1.



Figure 1. Research steps

#### **ENTROPY WEIGHT**

In the ordered three tuple  $R = \{N_1, c, v\}$  as the basic element to describe things, referred as the matter element. Among them, N says things; c as the feature name; v the value of N about c, the three as the three elements of matter element. In the concept of matter element, v = c(N) reflects the quality and quantity of things, c and v formal features, one thing with many characteristics, is described by the n-dimensional element:

$$R = \begin{bmatrix} c_1 v_1 \\ N \\ \vdots \\ c_n v_n \end{bmatrix}$$

In the Type,  $C_n$  is the N characteristics of things n;  $V_n$  the value of N about  $C_n$ . Matter element has extensibility, provides the possibility for things to expand, parallel, alternative.

(1) The classical field matter elements

$$R_{i} = \begin{bmatrix} c_{1} v_{1j} \\ c_{2} v_{2j} \\ \vdots \\ c_{n} v_{nj} \end{bmatrix} = \begin{bmatrix} c_{1} < a_{1j}, b_{1j} > \\ c_{2} < a_{2j}, b_{2j} > \\ N_{j} \\ \vdots \\ c_{n} < a_{nj}, b_{nj} > \end{bmatrix}$$

In the type,  $N_j$  *j* levels  $(j=1,2,\dots,m)$  of things;  $c_{ij}$  the *j* level *i* Feature of things;  $v_{ij}$  the value range of  $N_j$  on  $c_i$ , namely the classical domain  $\langle a_{ij}, b_{ij} \rangle$ .

(2) Node field element

$$R_{p} = \begin{bmatrix} c_{1} v_{pj} \\ c_{2} v_{pj} \\ c_{2} \vdots \\ c_{n} v_{pj} \end{bmatrix} = \begin{bmatrix} c_{1} < a_{p1}, b_{p1} > \\ c_{2} < a_{p2}, b_{p2} > \\ N_{p} \vdots \vdots \\ c_{n} < a_{pn}, b_{pn} > \end{bmatrix}$$

In the type,  $N_p$  for things all levels;  $v_{pi}$  therange of  $N_p$  on the  $c_i$ , the joint domain  $\langle a_{pi}, b_{pi} \rangle$ . (3) Be reviewed matter element.

$$R_{k} = \begin{bmatrix} c_{1} v_{1}(t) \\ c_{2} v_{2}(t) \\ N_{k} \vdots \vdots \\ c_{n} v_{n}(t) \end{bmatrix}$$

In the type,  $N_k$  for rating objects in matter element system; v(t) is a standard value of t evaluation of index  $c_n$ . These are initially correlation function. The maximum value achieve at the midpoint of  $\langle a_{ij}, b_{ij} \rangle$ . Establish the correlation functions; make the correlation calculation does not depend on subjective judgment or statistics. [33]

(4) To determine the weight of each index entropy method. Make the single index correlation  $K_j(v_i(t))$  normalized to the  $k_{ij}$ , to have *i* feature entropy:

$$e_i = -\eta \sum_{j=1}^m p_{ji} \ln p_{ji}$$

$$\eta = \frac{1}{\ln m}; p_{ji} = \frac{k_{ji}}{\sum_{m=1}^{m} k_{mi}}$$

In the type  $\sum_{i=1}^{K_{ji}}$ ,  $\eta$  is a constant,  $p_{ji}$  for the  $k_{ij}$  ratio of the system in m different states, while  $p_{ij} = 0, \ln p_{ji} = 0$ , entropy has i featured for:

$$\alpha_i = (1 - e_i) / [n - \sum_{i=1}^n e_i]$$

(5) Multi index comprehensive correlation function. The correlations function for object n of class j:

$$K_j = \sum_{i=1}^n \alpha_i K_j(v_i(t))$$

Determine the competitiveness evaluation cannot do without the index weight. The method to determine the weights whether is objective, directly linked to the quality of the evaluation results. Dependingon the idea of entropy, we can improve the decision accuracy and reliabilityaccording to the quantity and quality of information in decision

making. Entropy is calculated according to the various evaluation index value in the given evaluation object set. The metric entropy is bigger, the entropy weight is small, and the index is less important; on the contrary, the index is more important. In information theory, entropy is used to measure the degree of disorder system.

Information entropy are typically expressed in H, for an index  $x_i$ , information entropy can be expressed as

$$H(x_i)$$
, formulas is  $H(x_i) = -\sum_{i=1}^{n} y_{ii} \ln y_{ii}$ 

In the formula,  $0 \ln 0 = 0; i(i = 1, 2, \dots, n)$ , denote the number of evaluation index.  $y_{ii}$  original data after numerical normalized. A formula for calculation is [34]:

$$y_{it} = x_{it} / \sum_{t=1}^{T} x_{it}, i = 1, 2, \cdots, n$$

#### **TOPSIS INTEGRATION**

The TOPSIS method (Technique for Order Preference by Similarity to an Ideal Solution) was proposed in 1981 by C.L.Hwang and K.Yoon. This method sorts the evaluation of existing objects, according to the distance between the limited objective and ideal goal. There are two ideal targets (Ideal Solution), one is an ideal target for sure (positive ideal solution), the other is the ideal target of negative (negative ideal solution). The best assessment of the object should be nearest with the optimal target and farthest with the worst objective. Distance can be calculated using Murkowski distance.

Encounter multiobjective optimization problems, there is usually m evaluation target  $D_1, D_2, \dots, D_m$  each target has n evaluation index  $X_1, X_2, \dots, X_m$ . Invite experts to score on the evaluation index (including qualitative index and quantitative index), Then the scoring results expressed as a mathematical matrix form, build thefeature matrix:

$$D = \begin{bmatrix} x_{11} & \cdots & x_{1j} & \cdots & x_{1jn} \\ \vdots & & \vdots & & \\ x_{i1} & \cdots & x_{ij} & \cdots & x_{in} \\ \vdots & & \vdots & & \\ x_{m1} & \cdots & x_{mj} & \cdots & x_{mn} \end{bmatrix} = \begin{bmatrix} D_1(x_1) \\ \vdots \\ D_i(x_j) \\ \vdots \\ D_m(x_n) \end{bmatrix} = [X_1(x_1), \cdots, X_j(x_i), \cdots & X_n(x_m)]$$

Calculate standard matrix

Normalizing the feature matrix, get the normalized vector  $r_{ij}$ , and then establish the matrix norms about the normalization vector  $r_{ij}$ :

$$r_{ij} = x_{ij} / \sqrt{\sum_{i=1}^{m} x_{ij}^2}$$
  
 $i = 1, 2, \cdots, m, j = 1, 2, \cdots, m$ 

Structure weight standard matrix

By computing the weight normalized value  $v_{ij}$ , establish a standardized weight value  $v_{ij}$  normalization weight matrix

$$v_{ij} = w_j r_{ij}$$
  
 $i = 1, 2, \dots, m, j = 1, 2, \dots, n$ 

Among them,  $W_j$  is the weight of the j index. To determine the ideal and anti-ideal solution

According to the weight normalized value of  $v_{ij}$  to determine the ideal solution  $A^*$  and anti-ideal solution  $A^-$ :

$$A^{*} = (\max_{i} v_{ij} | j \in J_{1}), (\min_{i} v_{ij} | j \in J_{2}), |i = 1, 2, \cdots, m = v_{1}^{*}, v_{2}^{*}, \cdots, v_{j}^{*}, \cdots, v_{n}^{*})$$
$$A^{-} = (\min_{i} v_{ij} | j \in J_{1}), (\max_{i} v_{ij} | j \in J_{2}), |i = 1, 2, \cdots, m = v_{1}^{*}, v_{2}^{*}, \cdots, v_{j}^{*}, \cdots, v_{n}^{*})$$

Among them,  $J_1$  is a profit index set, indicated that the optimal value at the *i* index;  $J_2$  is the loss index

set, said the worst value in the i index. Higherprofitability indexes the more favorable to the assessment results; the smaller loss indexes the better for the assessment results, on the contrary, adverse to the assessment results.

Calculate the distance scale, which is calculating the distance for each target to the ideal and anti-ideal solution, distance scale can be calculated according to the n-dimensional Euclidean distance. Object to ideal solution  $A^*$  distance is  $S^*$ , to an ideal solution  $S^-$  distance is  $A^-$ :

$$S^{*} = \sqrt{\sum_{j=1}^{n} (V_{ij} - v_{j}^{*})^{2}}$$
$$S^{-} = \sqrt{\sum_{j=1}^{n} (V_{ij} - v_{j}^{-})^{2}}$$

Among them,  $v_j^*$  and  $v_j^-$  represent the distance of j the target to the optimal target and the worst objectives.  $V_{ij}$  is normalized value of j evaluation index weights for i object.  $S^*$  close degree for the evaluation and optimization, the smaller  $S^*$  value, the closer distance of the ideal goal and evaluation target, the scheme is better.

Calculation the close degree  $C_i$  to the ideal solution

$$C_i^* = \frac{S_i^-}{(S_i^* + S_i^-)}, i = 1, 2, \dots, m$$

In the formula,  $0 \le C_i^* \le 1$  when  $0 = C_i^*$ ,  $A_i = A^-$ , represents the goal is the worst goal; when  $1 = C_i^*$ ,  $A_i = A^*$ , represents the goal is the best goal. In real multi objective decision making, the existence of optimum target and the worst objective is very small.

According to the  $C^*$  value to arrange the sequence of the evaluation target, the arrangement closer to the  $C^*$ , the better, the maximum  $C^*$  value is the optimal evaluation target. [35-37]

## THE STUDY OF SPORTS INDUSTRY COMPETITIVENESS IN SIX PROVINCES IN CENTRAL CHINA BASED ON ENTROPY WEIGHT AND TOPSIS INTEGRATION

Reference to the popular sports industry competitiveness evaluation index in the academic world, this paper build the following sports industry competitiveness evaluation index of six provinces in central China, following the quantifiable and simplify principle to get the evaluation index as table 1:

Index name	Index code	Index name	Index code
Practitioners	$X_1$	Sports concept	$X_4$
Capital resources	$X_2$	Demand degree	$X_5$
Physical infrastructure	$X_{3}$	Related industrial clusters	$X_{6}$
		The government behavior	$X_7$

Table 1. Evaluation index

According to the data of six provinces` yearbooks and experts` opinions, we can get the sports industry competitiveness data following the quantifiable and simplify principle. The datum is showed in table 2:

Provinces	Practitioners	$X_1$	Capital resources $X_2$		
	Evaluation value	Ranking	Evaluation value	Ranking	
$P_1$	1065	1	9248	4	
$P_2$	937	6	8573	6	
$P_3$	945	5	8864	5	
$P_4$	990	4	9976	1	
$P_5$	1010	3	9623	2	
$P_6$	1037	2	9454	3	
		X <sub>2</sub>		Χ.	
Provinces	Physical infrastru	cture 3	Sports concep	t <sup>4</sup>	
	Evaluation value	Ranking	Evaluation value	Ranking	
$P_1$	0.99	1	0.85	5	
$P_2$	0.84	6	0.92	3	
$P_3$	0.86	5	0.96	2	
$P_4$	0.91	4	0.89	4	
$P_5$	0.95	3	0.99	1	
$P_6$	0.96	2	0.71	6	
0					
ь :	Demondule	X <sub>5</sub>	Deleted inductorial a	$X_6$	
Provinces	Demand degre	$X_5$	Related industrial c	$X_6$	
Provinces	Demand degree Evaluation value	$e^{X_5}$ Ranking	Related industrial c Evaluation value	$\frac{X_6}{\text{Ranking}}$	
Provinces $P_1$	Demand degre Evaluation value 36	e X <sub>5</sub> Ranking 6	Related industrial c Evaluation value 260	lusters X <sub>6</sub> Ranking 4	
Provinces $\frac{P_1}{P_2}$	Demand degre Evaluation value 36 41	Ranking 6 2	Related industrial c Evaluation value 260 267	$     \begin{array}{r} X_6 \\ \hline Ranking \\ 4 \\ 1 \end{array} $	
Provinces $ \frac{P_1}{P_2} $ $ \frac{P_3}{P_3} $	Demand degree Evaluation value 36 41 38	Ranking 6 2 5	Related industrial c Evaluation value 260 267 250	Iusters X <sub>6</sub> Ranking 4 1 5	
Provinces $ \frac{P_1}{P_2} $ $ \frac{P_2}{P_3} $ $ P_4 $	Demand degree Evaluation value 36 41 38 40	Ranking 6 2 5 3	Related industrial c Evaluation value 260 267 250 253	$     \frac{X_6}{Ranking}     4     1     5     3     $	
Provinces $P_1$ $P_2$ $P_3$ $P_4$ $P_5$	Demand degree Evaluation value 36 41 38 40 39	$ \begin{array}{r} Ranking \\ \hline 6 \\ \hline 2 \\ \hline 5 \\ \hline 3 \\ \hline 4 \\ \end{array} $	Related industrial c Evaluation value 260 267 250 253 249	$     \begin{array}{r} Ranking \\                                    $	
Provinces $P_{1}$ $P_{2}$ $P_{3}$ $P_{4}$ $P_{5}$ $P_{6}$	Demand degree Evaluation value 36 41 38 40 39 42	$ \begin{array}{c}                                     $	Related industrial c Evaluation value 260 267 250 253 249 261	$     \begin{array}{r} X_6 \\ \hline Ranking \\ 4 \\ \hline 1 \\ 5 \\ 3 \\ 6 \\ 2 \end{array} $	
Provinces $ \frac{P_1}{P_2} $ $ \frac{P_2}{P_3} $ $ \frac{P_4}{P_5} $ $ \frac{P_6}{P_6} $ Provinces	Demand degree Evaluation value 36 41 38 40 39 42 The sovernment be	$ \begin{array}{c}                                     $	Related industrial c Evaluation value 260 267 250 253 249 261	$     \begin{array}{r}                                $	
Provinces $ \frac{P_1}{P_2} $ $ \frac{P_2}{P_3} $ $ \frac{P_4}{P_5} $ $ \frac{P_6}{P_6} $ Provinces	Demand degree Evaluation value 36 41 38 40 39 42 The government be Evaluation value	$ \begin{array}{c}                                     $	Related industrial c Evaluation value 260 267 250 253 249 261	$     \begin{array}{r}                                $	
$P_1$ $P_1$ $P_2$ $P_3$ $P_4$ $P_5$ $P_6$ Provinces $P_1$	Demand degree Evaluation value 36 41 38 40 39 42 The government be Evaluation value 0.71	$\begin{array}{r} Ranking \\ \hline 6 \\ \hline 2 \\ \hline 5 \\ \hline 3 \\ \hline 4 \\ \hline 1 \\ \hline havior X_7 \\ \hline Ranking \\ \hline 5 \\ \hline \end{array}$	Related industrial c Evaluation value 260 267 250 253 249 261	$ \frac{\text{Ranking}}{4} $ 1 5 3 6 2	
$P_1$ $P_2$ $P_3$ $P_4$ $P_5$ $P_6$ Provinces $P_1$ $P_2$	Demand degre Evaluation value 36 41 38 40 39 42 The government be Evaluation value 0.71 0.66	$ \begin{array}{r} Ranking \\ \hline 6 \\ \hline 2 \\ \hline 5 \\ \hline 3 \\ \hline 4 \\ \hline 1 \\ \hline havior X_7 \\ \hline Ranking \\ \hline 5 \\ \hline 6 \\ \end{array} $	Related industrial c Evaluation value 260 267 250 253 249 261	$   \begin{array}{r} Ranking \\   \hline                                 $	
$P_1$ $P_2$ $P_3$ $P_4$ $P_5$ $P_6$ Provinces $P_1$ $P_2$ $P_3$	Demand degree Evaluation value 36 41 38 40 39 42 The government be Evaluation value 0.71 0.66 0.97	$\begin{array}{r} Ranking \\ \hline 6 \\ \hline 2 \\ \hline 5 \\ \hline 3 \\ \hline 4 \\ \hline 1 \\ \hline havior X_7 \\ \hline Ranking \\ \hline 5 \\ \hline 6 \\ \hline 1 \\ \end{array}$	Related industrial c Evaluation value 260 267 250 253 249 261	Ranking 4 1 5 3 6 2	
$P_1$ $P_2$ $P_3$ $P_4$ $P_5$ $P_6$ Provinces $P_1$ $P_2$ $P_3$ $P_4$	Demand degre Evaluation value 36 41 38 40 39 42 The government be Evaluation value 0.71 0.66 0.97 0.84	$ \begin{array}{r} Ranking \\ \hline 6 \\ \hline 2 \\ \hline 5 \\ \hline 3 \\ \hline 4 \\ \hline 1 \\ \hline havior X_7 \\ \hline Ranking \\ \hline 5 \\ \hline 6 \\ \hline 1 \\ \hline 4 \\ \end{array} $	Related industrial c Evaluation value 260 267 250 253 249 261	Ranking 4 1 5 3 6 2	
$P_1$ $P_2$ $P_3$ $P_4$ $P_5$ $P_6$ Provinces $P_1$ $P_2$ $P_3$ $P_4$ $P_2$ $P_3$ $P_4$ $P_5$	Demand degree           Evaluation value           36           41           38           40           39           42           The government be           Evaluation value           0.71           0.66           0.97           0.84           0.85	$\begin{array}{c} Ranking \\ \hline \\ Ranking \\ \hline \\ 6 \\ \hline \\ 2 \\ \hline \\ 5 \\ \hline \\ 3 \\ \hline \\ 4 \\ \hline \\ 1 \\ \hline \\ havior \\ X_7 \\ \hline \\ Ranking \\ \hline \\ 5 \\ \hline \\ 6 \\ \hline \\ 1 \\ \hline \\ 4 \\ \hline \\ 3 \\ \end{array}$	Related industrial c Evaluation value 260 267 250 253 249 261	Ranking 4 1 5 3 6 2	
$P_1$ $P_2$ $P_3$ $P_4$ $P_5$ $P_6$ Provinces $P_1$ $P_2$ $P_3$ $P_4$ $P_5$ $P_6$	Demand degree           Evaluation value           36           41           38           40           39           42           The government be           Evaluation value           0.71           0.66           0.97           0.84           0.85           0.92	$\begin{array}{c} Ranking \\ \hline 6 \\ \hline 2 \\ \hline 5 \\ \hline 3 \\ \hline 4 \\ \hline 1 \\ \hline havior X_7 \\ \hline Ranking \\ \hline 5 \\ \hline 6 \\ \hline 1 \\ \hline 4 \\ \hline 3 \\ \hline 2 \\ \end{array}$	Related industrial c Evaluation value 260 267 250 253 249 261	Ranking 4 1 5 3 6 2	

#### Table 2. Six provinces` evaluation values

Then use these seven indicators, to evaluate and we can get:

Relevant experts` subjective weight to the seven indexes

## w = [0.076, 0.230, 0.242, 0.050, 0.162, 0.170, 0.070]

According to the entropy formula to determine the entropy w of the seven indicators, and determine the weight  $\lambda$  of each index attable 3:

	$X_1$	$X_{2}$	$X_3$	$X_4$	$X_5$	$X_{6}$	$X_7$
w	0.083	0.194	0.234	0.044	0.188	0.183	0.074
w`	0.076	0.230	0.242	0.050	0.162	0.170	0.070
λ	0.062	0.237	0.303	0.011	0.157	0.170	0.060

### Table 3. The weight $\lambda$

According to the formula to standardize the index judging matrix  $Y = (y_{ij})$ , Based on matrix Y, according to the formula to construct weighted decisionmatrix Z

According to the formula to determine ideal and the negative ideal solution of the evaluation object, respectively:

 $Z = \begin{pmatrix} 0.0550 & 0.1058 & 0.1453 & 0.06360.06800.00580.0374 \\ 0.0523 & 0.1034 & 0.1257 & 0.08400.07020.00640.0365 \\ 0.0535 & 0.1047 & 0.1286 & 0.06720.07080.00470.0320 \\ 0.0547 & 0.1081 & 0.1375 & 0.07330.06930.00500.0301 \\ 0.0552 & 0.1069 & 0.1405 & 0.08720.07240.00130.0289 \\ 0.0517 & 0.1032 & 0.1107 & 0.06210.04830.00110.0246 \end{pmatrix}$  $S^{+} = (0.0552, 0.1081, 0.1453, 0.0872, 0.0724, 0.0064, 0.0374) \\ S^{-} = (0.0517, 0.1032, 0.1107, 0.0621, 0.0483, 0.0011, 0.0246) \end{pmatrix}$ 

According to the formula to determine the distance of each province to the ideal solution and negative ideal solution, and calculate the relative degree of the provinces and the ideal solution. Results are showed in table 4:

Table 4. Relative degree of the provinces and the ideal solution

	$P_1$	$P_2$	$P_3$	$P_4$	$P_5$	$P_6$
$Sd_{i}^{+}$	0.0059	0.0282	0.0171	0.0131	0.0245	0.0126
$Sd_{i}^{-}$	0.0308	0.0072	0.0211	0.0189	0.0158	0.0163
$\zeta_i$	0.8371	0.2028	0.5516	0.5913	0.3905	0.4302

According to the judgment criterion, from the table we can see  $P_1 > P_4 > P_3 > P_6 > P_5 > P_2$ .

#### CONCLUSION

This paper use entropy weight and TOPSIS integration method to data mining the Middle six provinces` sports industry. Get the six provinces of central China sports industry competitiveness ranking, and determining the weight of each index, to provide help for the future development of the sports industry.

However, this study also has shortcomings: (1) there are subjective factors in the process of research; (2) in the process of the selection of evaluation indexes, some evaluation indexes are ignored for the simplify the operation principle; (3) the relative lack of research of value six central provinces overall. These problems will be improved in the upcoming study.

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